

## Common Errors Using Voltage and Current Injection

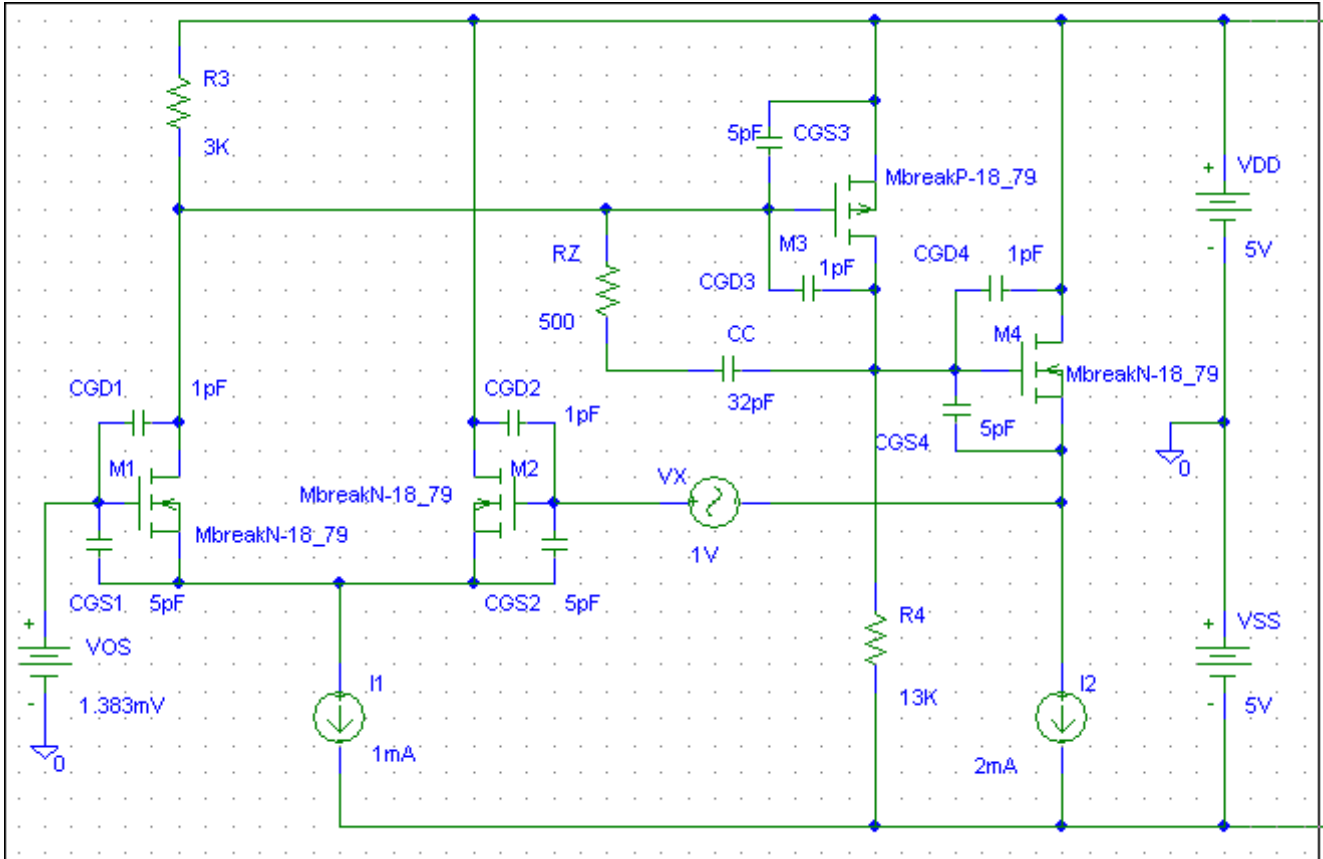


Figure 1 (Fig. 15.19) – Circuit schematic for Prob. 15.122(b) using voltage injection. Assume  $T = T_v$ .  $T_v = (-V(M4:s)/V(M2:g))$  However, we observe strange behavior above 20 MHz. The curve of  $T_v$  crosses at 0 dB at two points!

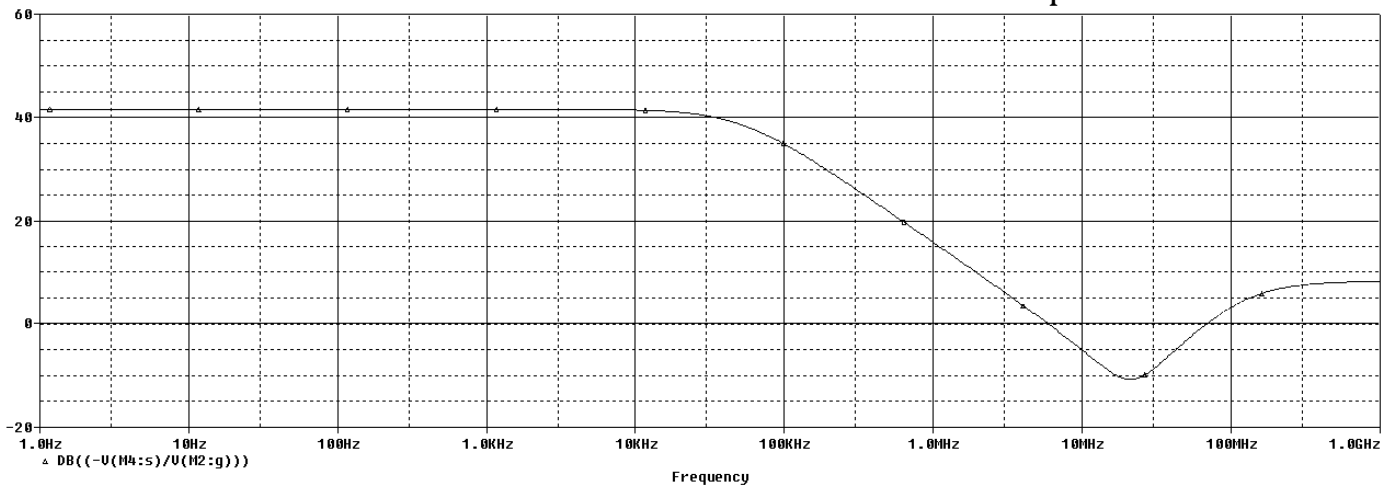


Figure 2 – Loop gain plot assuming that  $T = T_v$ .

The problem occurs because we are violating the assumption required for only using voltage injection. Figure 3 plots the current in  $V_x$ . The current in  $V_x$  is not zero at high frequencies. Thus the assumption that  $R_A$  is infinite is being violated at high frequencies! Therefore  $T \neq T_v$ .

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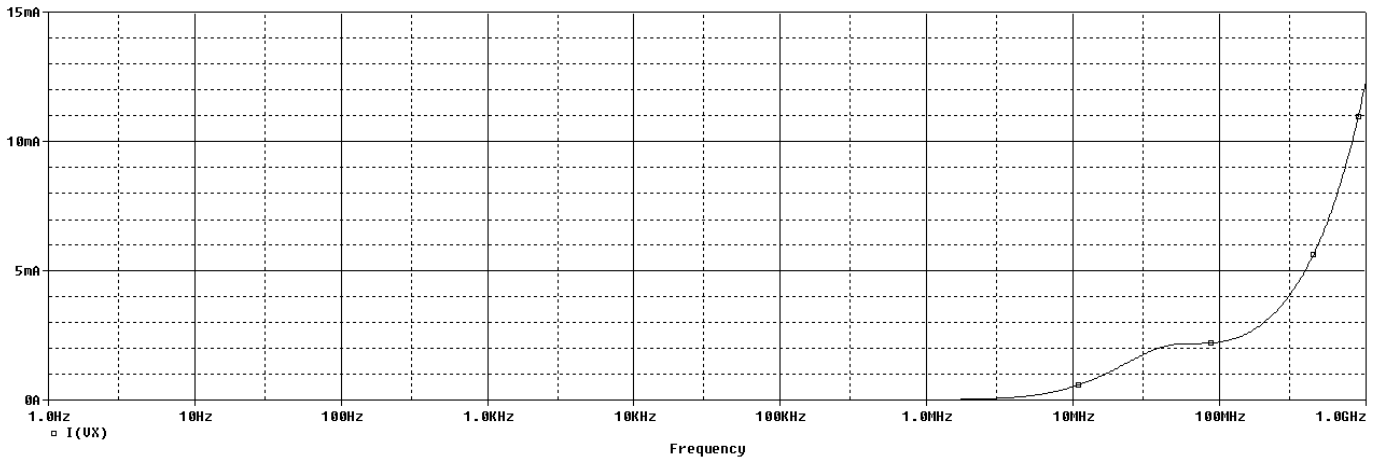


Figure 3 – Current in Vx is not zero at high frequencies.

However, we duplicate the circuit and calculate  $T_v$ ,  $T_i$  and  $T$  at the same time.

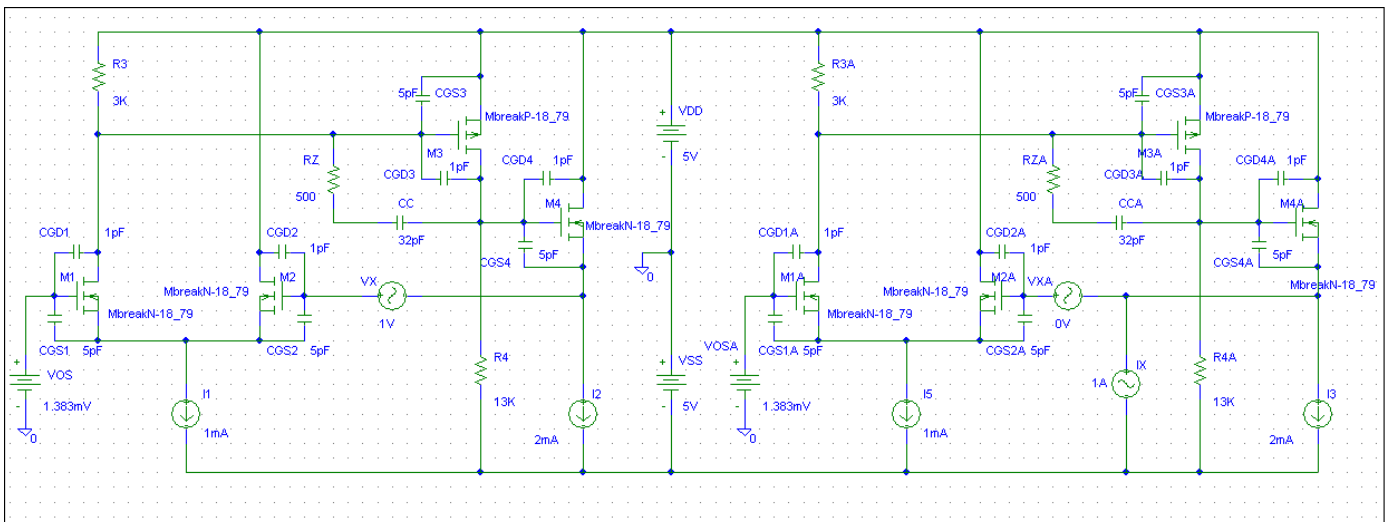


Figure 4 – Duplicated circuit allows simultaneous calculation of both  $T_v$  and  $T_i$ .

The formulae become more complicated now but can be created with a text editor and pasted into PSPICE.

$$T = (T_v * T_i - 1) / (2 + T_v + T_i)$$

$$T_v * T_i = ((-V(M4:s) / V(M2:g)) * (1 - I(VXA))) / I(VXA) - 1$$

$$2 + T_v + t_i = (2 + (-V(M4:s) / V(M2:g)) + (1 - I(VXA))) / I(VXA)$$

$$T = ((-V(M4:s) / V(M2:g)) * (1 - I(VXA))) / I(VXA) - 1 / (2 + (-V(M4:s) / V(M2:g)) + (1 - I(VXA))) / I(VXA)$$

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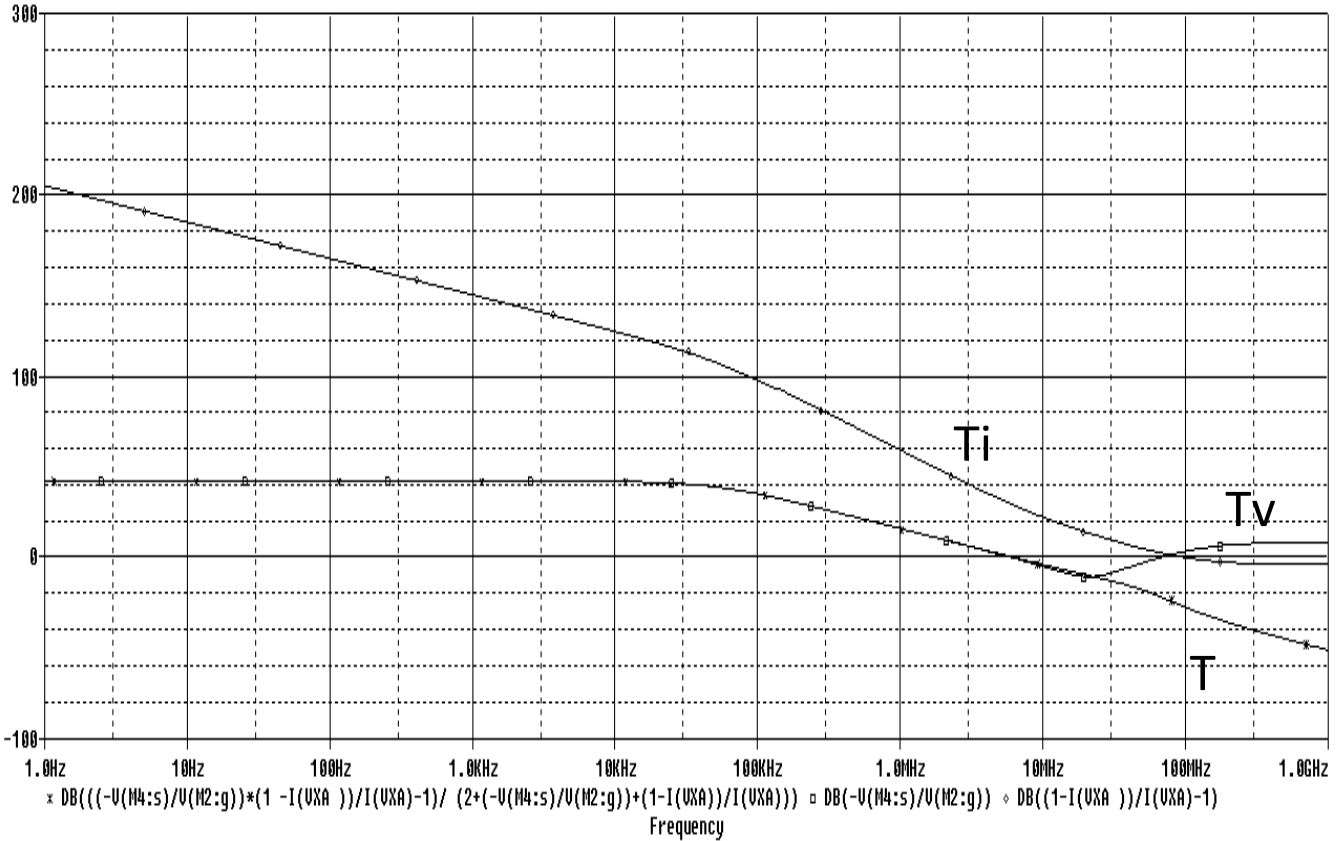


Figure 5 – Plots of  $T_v$ ,  $T_i$  and  $T$ . Loop gain  $T$  now appears more reasonable with a continuous roll off at high frequencies

The general expression for loop gain is: 
$$T = \frac{T_v T_i - 1}{2 + T_v + T_i}$$

As long as  $T_i \gg 2 + T_v$ ,  $T \cong T_v - \frac{1}{T_i} \cong T_v$

We see this in Fig. 5 in which  $T \cong T_v$  for  $f < 20\text{MHz}$ .

Similarly, for  $T_v \gg 2 + T_i$ ,  $T \cong T_i - \frac{1}{T_v} \cong T_i$